Torque-Limited Black Hole Growth and Feedback in Cosmological Simulations

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Ringberg Workshop on Computational Galaxy Formation May 12th 2016

Black holes in Cosmological Hydrodynamic Simulations

Springel+05; Di Matteo+05,08; Hopkins+05,06; Sijacki+07,15; Booth & Schaye 09; Johansson+09; Bellovary+10,11; Teyssier+11; Choi+12,15; Debuhr et al. 2012; Dubois+12,13; Vogelsberger+14; Rosas-Guevara+15; Schaye+15; Steinborn+15; ...

< 0.01 pc

10 kpc

Multi-scale physics !!!

Gas inflows from galactic scales
 Feedback acting at galactic scales

Black holes in Cosmological Hydrodynamic Simulations Need to start with accretion prescription

 $\dot{M}_{\mathbf{a}} = D(t) M_{\mathbf{a}}^{p}$

 $M_{\mathbf{a}} = D(t) M_{\mathbf{a}}^{p}$



Assume same physical conditions D(t) – different initial black hole mass

 \mathbf{M}_{a}

 \rightarrow Evolution of M_a and M_b ?

 $\dot{M}_{\mathbf{a}} = D(t) M_{\mathbf{a}}^p$





 M_{h}

$$\frac{\partial \mathbf{Evolution of } \mathbf{M_a} / \mathbf{M_b} ?}{\frac{d}{dt} \left(\frac{M_{\mathbf{a}}}{M_{\mathbf{b}}}\right) = D(t) \frac{M_{\mathbf{a}}^p}{M_{\mathbf{b}}} \left[1 - \left(\frac{M_{\mathbf{a}}}{M_{\mathbf{b}}}\right)^{1-p}\right]}$$

$$\dot{M}_{a} = D(t) M_{a}^{p}$$

$$\frac{d}{dt} \left(\frac{M_{a}}{M_{b}} \right) = D(t) \frac{M_{a}^{p}}{M_{b}} \left[1 - \left(\frac{M_{a}}{M_{b}} \right)^{1-p} \right]$$

Evolution depends on power index **p**

 M_a and M_b converge if p < 1

•
$$dm_{\rm ab}/dt < 0$$
, if $m_{\rm ab} > 1$

•
$$dm_{ab}/dt > 0$$
, if $m_{ab} < 1$

Anglés-Alcázar et al. (2015)

Independent of D(t) !!

$$\dot{M}_{a} = D(t) \underbrace{M_{a}^{p}}_{d}$$
$$\frac{d}{dt} \left(\frac{M_{a}}{M_{b}} \right) = D(t) \frac{M_{a}^{p}}{M_{b}} \left[1 - \left(\frac{M_{a}}{M_{b}} \right)^{1-p} \right]$$
Evolution depends on power index p
$$M_{a} \text{ and } M_{b} \text{ diverge if } p > 1$$

•
$$dm_{\rm ab}/dt \ge 0$$
, if $m_{\rm ab} > 1$

•
$$dm_{\rm ab}/dt \leq 0$$
, if $m_{\rm ab} < 1$

Anglés-Alcázar et al. (2015)

Independent of D(t) !!

Massive black holes in simulations

Bondi accretion + thermal feedback



Black hole mass vs. velocity dispersion



Di Matteo+05 and many others



Analytic models: Silk & Rees 1998, King 2003, Murray et al. 2005

$$\dot{M}_{a} = D(t) M_{a}^{p}$$

$$\frac{d}{dt} \left(\frac{M_{a}}{M_{b}} \right) = D(t) \frac{M_{a}^{p}}{M_{b}} \left[1 - \left(\frac{M_{a}}{M_{b}} \right)^{1-p} \right]$$

Subsequent Evolution depends on power index **p**

$$M_a$$
 and M_b diverge if p > 1
• $dm_{ab}/dt ≥ 0$, if $m_{ab} > 1$

•
$$dm_{\rm ab}/dt \leq 0$$
, if $m_{\rm ab} < 1$

Anglés-Alcázar et al. (2015)

Independent of D(t) !!



p = 2 in Bondi prescription

$$\dot{M}_{\rm Bondi} = \alpha \, \frac{4\pi \, G^2 M_{\rm BH}^2 \rho}{(c_{\rm s}^2 + v^2)^{3/2}}$$

Need to break dependence on M_{BH} for convergence !

$$\dot{M}_{\rm BH} = D(t, \dot{M}_{\rm BH}) \times M^p_{\rm BH}$$

Anglés-Alcázar et al. (2015)



p = 2 in Bondi prescription

$$\dot{M}_{\rm Bondi} = \alpha \, \frac{4\pi \, G^2 M_{\rm BH}^2 \rho}{(c_{\rm s}^2 + v^2)^{3/2}}$$

Need to break dependence on M_{BH} for convergence !

$$\dot{M}_{\rm BH} = D(t, \dot{M}_{\rm BH}) \times M^p_{\rm BH}$$

Anglés-Alcázar et al. (2015)

Feedback loop required !!

$\dot{M}_{\rm BH} = D(t, \dot{M}_{\rm BH}) \times M_{\rm BH}^p$

- **1.** Is black hole growth self-regulated by a non-linear feedback loop?
- 2. Is the observed connection between black holes and galaxies driven by feedback self-regulation?

3. Can we break the degeneracy between black hole accretion and feedback?

$\dot{M}_{\rm BH} = D(t, \dot{M}_{\rm BH}) \times M_{\rm BH}^p$

- **1.** Is black hole growth self-regulated by a non-linear feedback loop?
- 2. Is the observed connection between black holes and galaxies driven by feedback self-regulation?
- **3.** Can we break the degeneracy between black hole accretion and feedback?

Do we want Bondi to tell us what to do with feedback... ...while neglecting angular momentum?

Gas inflows from galactic scales

"Gas at galactic scales must loose > 99.9% of angular momentum to get to the black hole accretion disk"

Jogee 2006

- Galaxy interactions and internal gravitational instabilities trigger non-axisymmetric perturbations to the gravitational potential on galactic scales
- Gravitational torques drive gas inflows to smaller scales, triggering further instabilities and driving gas to ever smaller scales

"Bars within Bars"

Shlosman et al. 1989, 1990

But transport of gas by bars is not efficient within BH radius of influence...

Analytic gravitational torque model Hopkins & Quataert 2010, 2011

Inside BH potential the dominant asymmetries driving gas inflows are eccentric / lopsided disk (m=1), not bar-like (m=2) modes



Perturbations to the stellar component drive the gas into shocks that dissipate energy and angular momentum



Simulations vs. analytic models

Multi-scale simulations of gas rich disks Hopkins & Quataert 2010,2011



Gravitational torques provide angular momentum transport



Zoom-in simulations of z=2 galaxies Anglés-Alcázar et al. (2014)











Post-processing full box simulations from Davé+13

Anglés-Alcázar et al. (2015)

0

Evolution of Eddington ratios



< 0.01 pc

10 kpc

ows from galactic scales

(1) Gas inflows from galactic scales
(2) Feedback acting at galactic scales

GIZMO (Hopkins 2015) in PSPH and MFM, adaptive softenings metal cooling, subgrid ISM (Springel & Hernquist 2003), no galactic winds



Stern+2016; Faucher-Giguere & Quataert (2012)

[20 Mpc/h]³ volume, $2x256^3$ particles, $m_g = 10^7 M_{\odot}$ $\mathcal{E} = 2 \text{ kpc (DM)}$

→ On-the-fly gravitational torque accretion + standard BH seeding,BH mergers

Kinetic outflows with prescribed velocity and total momentum flux

> Debuhr+12 Choi+12,15 Hopkins+15

Same black hole accretion model and different feedback strengths

Temperature distribution in [20 Mpc/h]³ volume



NO FEEDBACK

Same black hole accretion model and different feedback strengths

Temperature distribution in [20 Mpc/h]³ volume



FEEDBACK: v = 1000 km/s, $P = L_{bol}/c$

Same black hole accretion model and different feedback strengths

Temperature distribution in [20 Mpc/h]³ volume



FEEDBACK: v = 10000 km/s, $P = L_{bol}/c$

Same black hole accretion model and different feedback strengths

Temperature distribution in [20 Mpc/h]³ volume



FEEDBACK: v = 1000 km/s, $P = 20 L_{bol}/c$

Same black hole accretion model and different feedback strengths



Black hole—Galaxy correlation

Same black hole accretion model and different feedback strengths

Black hole—Galaxy correlation



Same black hole accretion model and different feedback strengths

Häring & Rix 04 $v = 10^4$ km/s, $\dot{p} = L_{bol}/c$ 9 log(M $_{
m BH}$ / M $_{\odot}$) 5 z = 0.08 9 1011 log(M_{\star} / M_{\odot})

Black hole—Galaxy correlation

Same black hole accretion model and different feedback strengths

Black hole—Galaxy correlation



Same black hole accretion model and different feedback strengths



Black hole—galaxy correlation

 \rightarrow Driven by gas inflow rates and not by feedback self-regulation on large scales

Temperature distribution on large scales

→Significant impact of black hole feedback on IGM / galaxy evolution

Same black hole accretion model and different feedback strengths



Black hole—galaxy correlation

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Black hole—galaxy correlation

 \rightarrow Driven by gas inflow rates and not by feedback self-regulation on large scales

Mass growth suppressed by feedback

→Significant impact of black hole feedback on IGM / galaxy evolution

Torques growing **BHs** on **FIRE** (in progress)





Hopkins+2014

Extremely rich simulations!

BH growth/feedback at <100 pc, BH dynamics, bursty star formation, violent stellar feedback...

"More physics, more resolution, more problems!" (R. Teyssier)

Multi-scale **BH** growth/feedback on **FIRE**



Hopkins+2015

Torrey+ (in prep)

Anglés-Alcázar+ (in prep)



→Nuclear/galaxy scale simulations with FIRE star formation/stellar feedback
+ explicit BH growth/feedback

→Calibrate accretion/feedback for cosmological simulations

Summary

- 1. Torque-limited growth: black holes and galaxies evolve on average towards observed scaling relations, regardless of the initial conditions, and with no need for mass averaging through mergers or additional self-regulation processes.
- 2. Large-scale AGN feedback can have a significant effect on galaxy evolution while only weakly affecting BH-host scaling relations.
- 3. Common gas supply regulated by gravitational torques is the primary driver of the observed co-evolution of black holes and galaxies.
- 4. Calibrating AGN feedback efficiency to match BH-host correlations can be severely biased by the accretion model!

Anglés-Alcázar et al. (2013), ApJ, 770, 5 Anglés-Alcázar et al. (2015), ApJ, 800, 127 Anglés-Alcázar et al. (2016), arXiv:1603.08007



Resolution convergence

Hydrodynamics

PSPH

MFM

12

11



Black hole accretion rates

→ Bondi → Gravitational torque

→ Eddington



